

Probing Protein–Chaperone Interactions with Single-Molecule Fluorescence Spectroscopy**

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Molecular chaperones are an essential part of the cellular machinery that aids protein folding and assembly *in vivo*. Particularly remarkable are the members of the Hsp60 class, which encapsulate the folding protein in a central, closed cavity; the most well-studied example is the bacterial GroEL/ES system. Work of the past two decades has resolved many aspects of the processes involved.^[1] However, remarkably little is known about the influence of the chaperone on the conformational distributions and folding mechanisms of its substrate proteins.^[2] Because of the structural heterogeneity of the nonnative substrate bound to a molecular machine in the 10⁶ Da range, its experimental investigation has been difficult with established ensemble methods.^[2] Since single-molecule spectroscopy, in particular in combination with Förster resonance energy transfer (FRET), can provide distance and orientational information free of ensemble averaging^[3] and allows intramolecular distance dynamics to be observed at equilibrium,^[4,5] it is a promising approach to address such questions.^[6] Herein, we show how single molecule FRET can be utilized to investigate the nonnative conformation and dynamics of bovine rhodanese, a classic chaperone substrate protein,^[7,8] upon interaction with GroEL.

To obtain a transfer efficiency signature suitable for discriminating native and nonnative conformations, two rhodanese variants with complementary donor and acceptor positions (Figure 1) were investigated. Figure 1 c–j shows the transfer efficiency histograms determined from photon bursts originating from individual labeled rhodanese molecules freely diffusing through the observation volume of the

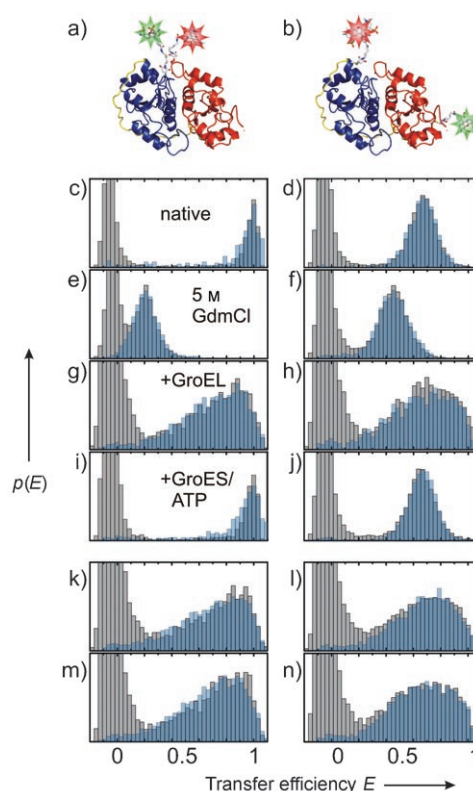


Figure 1. Native structures (based on PDB ID 1RHD) and transfer efficiency (E) histograms of rhodanese variants D102C–D219C (interface variant, panels on the left) and K135C–K174C (linker variant, panels on the right). a, b) Alexa Fluor 488 and Alexa Fluor 594 were coupled to the cysteine residues introduced by site-directed mutagenesis. c–j) E histograms of rhodanese variants under native (c, d) and denaturing conditions (5 M GdmCl, e, f), bound to GroEL upon dilution from GdmCl (g, h), and after refolding by addition of GroES/ATP (i, j), bound to GroEL after incubation with folded rhodanese at 30°C for 16 h (k, l), and after dilution from 0.1 M phosphoric acid (m, n). The gray histograms were recorded with donor excitation only. For the blue histograms, pulsed interleaved excitation^[14] was used. $p(E)$ = relative event frequency.

confocal instrument. As expected, the rhodanese variant with the labels at the domain interface (Figure 1 a) shows a mean transfer efficiency $\langle E \rangle$ close to 1 in its native state (Figure 1 c); for the variant with labels at the ends of the interdomain linker (Figure 1 b), $\langle E \rangle = 0.69$ (Figure 1 d), which corresponds to a distance of 4.7 nm, in good agreement with the distance of 4.5 nm in the crystal structure.^[9] In the unfolded state at 5 M guanidinium chloride (GdmCl), $\langle E \rangle$ scales with the sequence separation of the labeling sites (Figure 1 e, f), as expected.

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Upon dilution of labeled rhodanese unfolded in GdmCl into buffer containing an excess of unlabeled GroEL, rhodanese becomes bound to the chaperone quantitatively, as evidenced by analytical size-exclusion chromatography (data not shown). We exclude the possibility of substrate protein binding to both chaperone rings by using the single-ring variant of GroEL, SR1, which binds to the substrate in a 1:1 complex.^[10,11] Experiments with wild-type tetradecameric GroEL gave results essentially identical to the ones presented here. The transfer efficiency histograms of SR1-bound rhodanese (Figure 1g,h) exhibit a pronounced broadening, indicating the presence of static heterogeneity on the observation time scale (≈ 1 ms, duration of a fluorescence burst). For a random conformational distribution, we would expect a transfer efficiency that scales with the sequence separation of the dyes, as in the denaturant-unfolded state (Figure 1e,f). In contrast, we observe maxima of the transfer efficiency histograms close to the values found in the native state (Figure 1c,d), suggestive of a bias towards the native topology for rhodanese bound by the chaperone. The presence of very low intramolecular transfer efficiencies that could be hidden under the “donor only” peak^[12] at $E \approx 0$ was excluded in experiments using alternating excitation of donor and acceptor^[13,14] (Figure 1c–n). The slight but reproducible difference in shape between the transfer efficiency histograms of the two chaperone-bound rhodanese variants (Figure 1g,h) suggests that the E histograms provide a characteristic signature for the conformation of the substrate protein. Remarkably, the shapes of the transfer efficiency histograms are independent of how rhodanese is denatured (Figure 1g,h,k–n), implying that the chaperone-bound conformation does not reflect the conformational distribution under unfolding conditions, but rather resembles a folding intermediate that is formed rapidly upon dilution into the SR1 solution (Figure 1g,h,m,n), and that is also accessible from the native state under mildly destabilizing conditions (Figure 1k,l).^[15] After addition of ATP and the cochaperone GroES to the rhodanese–GroEL complex, the E distributions characteristic of the native structures are recovered^[*] (Figure 1c,d,i,j), demonstrating that labeled rhodanese is a fully functional chaperone substrate.

To probe the dynamics of the rhodanese–chaperone complex, we used correlation experiments employing a Hanbury Brown and Twiss setup.^[4] Figure 2a shows that rhodanese unfolded in 5 M GdmCl exhibits rapid intramolecular chain dynamics on a time scale of ≈ 70 ns. This time scale is very similar to that observed for the unfolded cold shock protein CspTm^[4] and the Sup35 NM domain.^{[**][16]} How do the dynamics of the denatured state change upon association with GroEL? The same measurement on rhodanese bound to

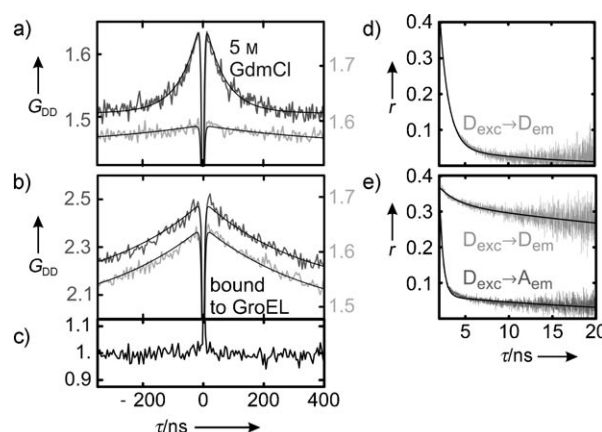


Figure 2. Dynamics of rhodanese. a–c) Donor–donor fluorescence intensity autocorrelation functions G_{DD} from Hanbury Brown and Twiss start–stop experiments.^[4] Correlation functions are shown for the linker variant unfolded in 5 M GdmCl (a) and bound to GroEL (b). Dark gray lines show the correlation functions for the FRET-labeled, light gray lines for the donor-only-labeled rhodanese K174C. The black curves in (a) and (b) show fits to the correlation data including photon antibunching.^[4] c) The normalized ratio of the two correlation functions from (b) indicates the absence of distance dynamics. d,e) Anisotropy decays for donor-only-labeled rhodanese K174C (light gray) under denaturing conditions (d) and bound to GroEL (e). The dark gray data in (e) show the fluorescence anisotropy decay of the acceptor upon excitation of the donor for the linker variant bound to GroEL. The black curves in (d) and (e) represent fits to Equation (1).

GroEL yields a correlation with a decay of 0.2 μ s (Figure 2b), which at first sight could be misinterpreted as slowed distance dynamics. But the pronounced sensitivity of the correlation amplitude on the directions of polarization that are correlated (Figure S1 in the Supporting Information) indicates a strong contribution from rotational motion of the entire GroEL–rhodanese complex, which occurs exactly on this time scale.^{[*][18]} To quantify the relative contributions of rotational and distance dynamics, we compare GroEL-bound rhodanese labeled with a FRET pair to GroEL-bound rhodanese labeled only with a donor chromophore. As shown in Figure 2b, the two samples exhibit the same decay time of the correlation function. The ratio of the two correlations does not indicate the presence of an additional component (Figure 2c), suggesting that the observed correlation is entirely due to rotation, and that distance dynamics are absent on this time scale. Additional evidence for the lack of distance dynamics comes from the pronounced intensity correlations of polarized acceptor emission upon donor excitation, which exhibit the same 0.2 μ s decay (Figure S2 in the Supporting Information). This result shows that the relative orientation of donor and acceptor is rather invariant on this time scale, arguing that the same is true for their distance. The nanosecond chain

[*] Under our conditions, folded rhodanese is not confined within the cage.

[**] Note, however, that (in contrast to CspTm^[4]), even singly labeled rhodanese exhibits some bunching on this time scale, albeit with lower amplitude (Figure 2a), which complicates a quantitative analysis. This behavior is similar to recent observations for a Sup35 fragment, which were attributed to quenching of the fluorophores by aromatic residues in the chain.^[16]

[*] In contrast to the magic angle configuration possible in conventional fluorimeters, the geometry of confocal epifluorescence instruments complicates the elimination of polarization effects on the correlation functions.^[17]

dynamics observed in denaturant-unfolded rhodanese are thus suppressed when the protein is bound to the chaperone.

To investigate the presence of distance dynamics on longer time scales, we first employed subpopulation-specific fluorescence correlation spectroscopy on freely diffusing rhodanese–GroEL complexes (Figure 3). We correlated

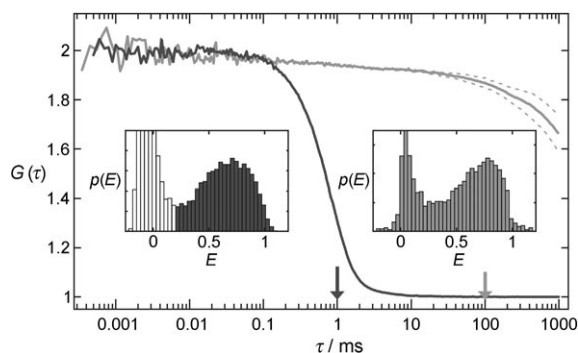


Figure 3. Normalized fluorescence intensity donor–acceptor cross-correlations and transfer efficiency histograms of the rhodanese-linker variant bound to GroEL (free diffusion: dark gray, surface-immobilized: light gray; corresponding binning times for E histograms indicated by arrows). Dashed lines indicate the individual cross-correlations (D→A and A→D, shown for $\tau > 0.5$ ms). For freely diffusing molecules, only events with $E > 0.2$ were used for the correlation (dark gray).

only signal from FRET-labeled molecules with $E > 0.2$ to minimize the contribution from donor-only labeled species, and we used donor–acceptor cross-correlation analysis to minimize the contribution of microsecond triplet dynamics.^[19] Distance fluctuations would then result in an anticorrelated signal, that is, a rise in the correlation function. However, the correlation curves show no evidence for the presence of distance fluctuations up to $\approx 100 \mu\text{s}$. To extend the accessible time scales beyond the diffusion time through the confocal volume, SR1–rhodanese complexes were immobilized on cover slides coated with biotinylated poly(L-lysine)-graft-poly(ethylene glycol) (PLL-*g*-PEG).^[20] Individual complexes on the surface were identified by sample scanning and were observed individually for several seconds until the chromophores bleached. Surprisingly, donor–acceptor cross-correlation analysis of these data indicates the absence of long-range distance dynamics in chaperone-bound rhodanese even on long time scales. The decay of the correlation function setting in at times > 10 ms is caused by irreversible photobleaching, as indicated by the divergence of donor–acceptor and acceptor–donor cross-correlations (Figure 3).^[21] The absence of large-amplitude distance fluctuations is also supported by the large width of transfer efficiency histograms from different observation or binning times (Figure 3, insets), indicating the presence of static heterogeneity on time scales up to at least 100 ms.

Finally, we need to establish the structural origin of the large width of the transfer efficiency distributions of chaperone-bound rhodanese (Figure 1). Static heterogeneity of the transfer rate can originate from either a distribution of

intramolecular distances or a distribution of donor–acceptor orientations.^[*] For rhodanese singly labeled with donor or acceptor and unfolded in 5 M GdmCl, the anisotropy decay $r(t)$ is dominated by a single component with a time constant of ≈ 1 ns (Figure 2d), indicating rapid and complete reorientation of the dyes, and thus justifying the common approximation of $\kappa^2 \approx 2/3$ for the orientational factor in Förster theory.^[22] Upon binding to SR1, however, the anisotropy of all singly labeled variants (D102C, K135C, K174C, D219C) increases drastically, and the majority of the anisotropy decay occurs on the time scale of rotation of the entire rhodanese–SR1 complex (> 100 ns, Figure 2e). Consequently, the orientational restriction of the dyes must be taken into account to obtain distance information.

To this end, we analyze the fluorescence anisotropy decays of our singly labeled rhodanese variants with Equation (1), which describes the decay as the combined effect of restricted dye rotation (τ_{eff}) and the rotational motion of the entire protein–chaperone complex (τ_M).^[23]

$$r(t) = \left((r_0 - r_\infty)e^{-t/\tau_{\text{eff}}} + r_\infty \right) e^{-t/\tau_M} \quad (1)$$

Here, r_0 is the limiting anisotropy of the dyes,^[**] and r_∞ is the residual anisotropy assuming no rotation of the macro-molecule carrying the dye. Assuming restricted angular diffusion in a cone as the simplest plausible model for the motion of the chromophores^[24] (Figure 4a), the semiangle Θ_{max} of the cone can be calculated from Equation (2),^[23,25] yielding for all our variants and dyes values between 17° and 19° .^[***]

$$r_\infty = r_0 \left(\frac{1}{2} \cos \Theta_{\text{max}} (1 + \cos \Theta_{\text{max}}) \right)^2 \quad (2)$$

Important additional information about the relative orientation of the dyes comes from the anisotropy decay of the acceptor upon donor excitation (Figure 2e): in this case, the residual anisotropy approaches zero for both chaperone-bound variants, indicating an angular distribution of the cone axes that is close to random. An alternative explanation, a narrow relative orientation close to the magic angle of 54.7° , can be excluded, because this would result in an apparent fundamental anisotropy of zero for the acceptor anisotropy decay upon donor excitation, which is incompatible with our observations (Figure 2e). Additionally, a narrow distribution

[*] Heterogeneity in the quantum yields of the dyes originating, for example, from differences in the local environment can be excluded because of the agreement of fluorescence lifetimes (both in ensemble and single-molecule measurements) of the acceptor in FRET-labeled and the donor in singly labeled rhodanese on GroEL, respectively, with the lifetimes of the dyes on protein unfolded in 5 M GdmCl.

[**] $r_0 = 0.38$ was determined in a matrix of 99% glycerol at -10°C .

[***] The lack of binding to GroEL of free dyes and several other small proteins and peptides labeled with the same dyes (size exclusion chromatography data not shown) indicates that the interaction of rhodanese with GroEL is dominated by the polypeptide and that the orientational restriction of the dyes results largely from steric constraints in the rhodanese–chaperone complex.

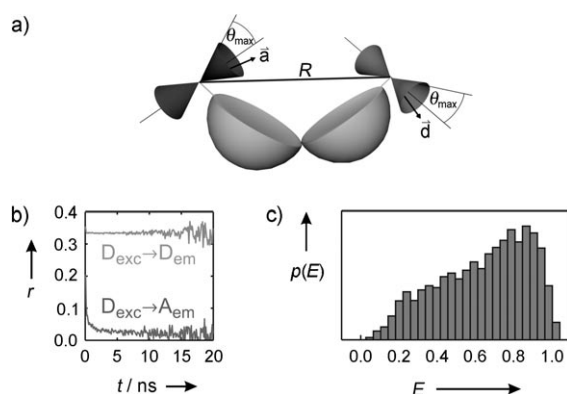


Figure 4. Simulations and structural interpretation. a) Assuming angular diffusion of the fluorophore dipoles \vec{a} and \vec{d} in cones of half angle θ_{\max} on the protein surface, and a narrow Gaussian distribution of distance R , we can account for both the characteristic anisotropy decays^[34] (b) and the broad transfer efficiency histograms (c) observed experimentally (cf. Figures 1 and 2e). The two domains of rhodanese are indicated by the gray hemispheres in (a).

of relative orientations would at the same time require a broad distribution of distances to account for the broad transfer efficiency histograms we observe (Figure 1 g,h,k–n), but this combination is physically implausible.

To interpret the experimental results quantitatively, we thus simulated the transfer process between orientationally restricted dipoles based on the simplest plausible model for our system (Figure 4): we assume that the relative orientation of the cones is fixed for every individual rhodanese–GroEL complex but randomly distributed from molecule to molecule. This assumption leads to anisotropy decays (Figure 4b) very similar to the experimental ones (Figure 2e), even for the characteristic decay of the acceptor anisotropy upon donor excitation. If we now assume a normal distribution of interdyer distances R (Figure 4a) and adjust its mean and standard deviation to maximize the agreement between simulated and observed transfer efficiency histograms (Figure 4c and Figure S3 in the Supporting Information), we obtain distance distributions for GroEL-bound rhodanese with a mean distance of $\approx 4.5 \pm 0.5$ nm and a width of $\approx 0.5 \pm 0.2$ nm for both variants. For the linker variant, this is approximately the same value as in the native structure, but for the interface variant it is significantly larger, suggesting a large separation of the two rhodanese domains. If we used the mean distances for our two variants as constraints to adjust the relative orientation of the native domains, we would obtain a rhodanese conformation that is highly suggestive of binding to the rim of the GroEL ring, which is lined by hydrophobic residues that act as binding sites,^[26] an arrangement that is in accord with a number of previous results.^[27–29]

In summary, we have used a novel analysis combining time-resolved fluorescence anisotropy decays, single-molecule FRET experiments, and simulations to obtain quantitative information from a system with orientationally restricted chromophores, a situation that has been observed repeatedly in FRET experiments involving protein–chaperone interactions.^[6,30] In our analysis, the donor and acceptor anisotropy decays define the opening angles of the cones constraining

fluorophore rotation; the acceptor decay upon donor excitation constrains the relative orientational distribution of the cones; and the shape of the transfer efficiency histograms then define the mean and width of the distance distributions. What emerges from these measurements, together with the long-range dynamic information available from subpopulation-specific correlation functions, is the picture of a rather well-defined ensemble of rhodanese conformations that resembles a partially structured folding intermediate when bound to the chaperone GroEL. Interestingly, the lack of long-range distance dynamics does not seem to preclude local structural fluctuations evident from protease susceptibility,^[27,28] or NMR^[18,31] or fluorescence spectroscopy.^[8,27] Our results illustrate the potential for extracting quantitative structural information from FRET experiments even in cases where large anisotropies demand that orientational effects be taken into account, and provide an important step towards investigating the role of cellular factors in protein folding.

Experimental Section

Proteins were prepared as described previously.^[10,32] Binding of rhodanese to SR1 was achieved as follows: A) Rhodanese unfolded in 5 M GdmCl was rapidly diluted tenfold into folding buffer (0.1 M potassium phosphate, 5 mM magnesium chloride, 200 mM 2-mercaptoethanol, 0.001 % Tween 20, 1 mM EDTA, pH 7.0) containing at least a tenfold molar excess of SR1 heptamers. B) Same as (A), but unfolding was carried out in 0.1 M phosphoric acid. C) Rhodanese was incubated at 30 °C for 16 h in folding buffer with a tenfold molar excess of SR1 heptamers. Complete binding was assessed on a TSK 5000 PWXL column (TOSOH Bioscience) with fluorescence detection.

For surface immobilization, SR1 was biotinylated using (+)-biotin *N*-hydroxysuccinimide ester in a molar ratio of 1:7. A solution of 0.1 mg mL^{−1} PLL(20)-g[3.5]-PEG(2)/PEG(3.4)-biotin (50 %)^[20] in 10 mM potassium phosphate, pH 7.0, was applied to a custom-made quartz flow cell. After 15 min of incubation, the flow cell was washed with 0.1 M potassium phosphate, 5 mM magnesium chloride, 1 mM EDTA, pH 7.0; then 1 mg mL^{−1} avidin was applied in the same buffer. After 15 min of incubation, the flow cell was washed thoroughly, and 250–500 nm GroEL–rhodanese preparation was applied. The cell was incubated for 5 min and then washed with buffer.

Anisotropy decay data were recorded with a custom-built fluorescence lifetime spectrometer using 1 μ M samples of labeled protein. Single-molecule FRET measurements were performed as previously described^[4,32,33] using an adapted MicroTime 200 confocal microscope (PicoQuant, Berlin). For additional details, see the Supporting Information.

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